Energy transport and heating by torsional Alfvén waves in the quiet-Sun atmosphere

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Introduction

Observations show that Alfvénic waves (torsional and kink) are present in all layers of the solar atmosphere:

- Photosphere: e.g., Jess et al. (2009)
- Chromosphere: e.g., De Pontieu et al. (2014), Srivastava et al. (2017)
- TR and Corona: e.g., McIntosh et al. (2011), Morton et al. (2015)

The driver is probably located at the photosphere

- Horizontal flows: e.g., Spruit (1981), Choudhuri et al. (1993), Huang et al. (1995), Stangalini et al. (2014)
- Vortex motions: e.g., Shelyag et al. (2011, 2012), Wedemeyer-Böhm et al. (2012), Morton et al. (2013)
- **Estimated driven energy flux (averaged):** $\sim 10^7$ erg cm⁻² s⁻¹

Waves may carry sufficient energy to heat the plasma:

 e.g., De Pontieu et al. (2001), Leake at al. (2005), Goodman (2011), Tu & Song (2013), Arber et al. (2016), Shelyag et al. (2016), Soler et al. (2017),...

A Simple Model for the Lower Solar Atmosphere

Before considering complicated scenarios, we aim to understand propagation and deposition of energy by Alfvén waves in a simple model of the lower solar atmosphere

- Background atmosphere based on FAL93-C chromospheric model (Fontenla et al. 1993) extended up to 4,000 km
- Quiet Sun: Photosphere + Chromosphere + TR + Low Corona
- Partially ionized plasma

Species: e, p, H, He I, He II, and He III



A Simple Model for the Lower Solar Atmosphere



- Potential magnetic flux tube
- Vertical and untwisted
- \blacksquare Photospheric field strength $\sim 1~kG$
- \blacksquare Coronal field strength $\sim 10~G$
- Expansion with height $R_{\rm corona}/R_{\rm photosphere} \sim 10$

Some Hints of the Method

- Multi-fluid equations numerically integrated with finite elements in a non-uniform mesh
- Dissipation mechanisms: Ohm's diffusion + Ion-neutral friction
- Steady state of torsional wave propagation (linear regime)
- Broadband wave driver at the photosphere:
 - **Torsional motion, frequency range:** 0.1 mHz $\leq f \leq$ 300 mHz
 - Spectral weighting function (Tu & Song 2013; Arber at al. 2016):

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- Peak frequency: $f_
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- Injected energy flux: 10⁷ erg cm⁻² s⁻

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ight.$$

- Peak frequency: $f_p \approx 1.59 \text{ mHz}$
- Injected energy flux: $10^7 \text{ erg cm}^{-2} \text{ s}^{-1}$

Perturbations



Energy Flux



Only $\sim 1\%$ of the injected flux reaches the corona...but

Transmitted energy flux: ~ 1.5 × 10⁵ erg cm⁻² s⁻¹
 Quiet-Sun corona total energy loss: ~ 3 × 10⁵ erg cm⁻² s⁻¹ (Withbroe & Noyes 1977)

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Energy Fluxes at the Boundaries



- Low frequencies are reflected (incoming flux \approx reflected flux)
- High frequencies are dissipated → Heating (incoming flux ≫ reflected flux + transmitted flux)
- Very small transmissivity (peak $\sim 2-5$ mHz)

Heating Rates



Required volumetric heating (Ulmschneider 1974; Withbroe & Noyes 1977):

- Lower chromosphere: $10^{-1} \text{ erg cm}^{-3} \text{ s}^{-1}$
- Middle and upper chromosphere: $10^{-3}-10^{-2}$ erg cm⁻³ s⁻¹

Conclusions

Energy fluxes

- Low frequencies reflected back to the photosphere
- High frequencies damped in the chromosphere
- Only $\sim 1\%$ of injected flux is transmitted to the corona, but it is almost enough to compensate the total coronal energy loss

Chromospheric Heating

- Ohmic diffusion heats the lower and middle chromosphere
- Ion-neutral friction heats the upper chromosphere
- Chromospheric heating rates compatible with the required rates

Alfvén waves may play an <u>essential role</u> in the energy transport and dissipation in the solar atmosphere!

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